Consider a $n \times n$ chessboard. The term $block(r1, c1, r2, c2)$ denotes the rectangular subset of squares defined by the intersection of rows $\{r1, r1+1, \dots, r2\}$ and columns $\{c1, c1+1, \dots, c2\}$.

There are several *occupied* blocks on the board. We are interested in the *largest block* (in the sense of maximum area) that can be placed *in the free space* remaining in the board.

For example, in a chessboard of size 10, if $block(2, 2, 5, 3)$, $block(8, 3, 9, 7)$, and $block(3, 6, 3, 8)$ represent occupied space, then the largest block that can be placed in free space has area 28. This can be visually checked in the following figure:

r\c	1	2	3	4	5	6	7	8	9	10
1										
2		X	X							
3		X	X			X	X	X		
4		X	X	o	o	o	o	o	o	o
5		X	X	o	o	o	o	o	o	o
6				o	o	o	o	o	o	o
7				o	o	o	o	o	o	o
8			X	X	X	X	X			
9			X	X	X	X	X			
10										

We are interested only in the area of the largest free block, and not in its particular location. Therefore, each instance of the problem has a unique solution.

Input

The program first reads the number p of instances of the problem. Each instance is described by the size s of the board, the number b of blocks of occupied space, and the vertices $r1$, $c1$, $r2$, $c2$, of each block:

p	number of problem instances in the file	
s	(board size)	instance #1
n	(number of blocks)	
$r1$ $c1$ $r2$ $c2$	(first block)	
$r1$ $c1$ $r2$ $c2$	(second block)	
...	...	
$r1$ $c1$ $r2$ $c2$	(n-th block)	
s	(board size)	instance #2
n	(number of blocks)	
$r1$ $c1$ $r2$ $c2$	(first block)	
$r1$ $c1$ $r2$ $c2$	(second block)	
...	...	
$r1$ $c1$ $r2$ $c2$	(n-th block)	
...	...	instance #p

Assumptions:

- $1 \le s \le 100$
- $0 \le b \le 100$
- $1 \le r1 \le r2 \le s$
- $1 \le c1 \le c2 \le s$
- Occupied blocks may overlap.

Output

For each test case the output consists of a integer indicating the area of the largest block that can be located in the available free squares.

Sample Input

```
3
10
3
2 2 5 3
8 3 9 7
3 6 3 8
20
1
1 1 1 1
10
2
5 1 5 10
1 5 10 5
```

Sample Output

```
28
380
25
```