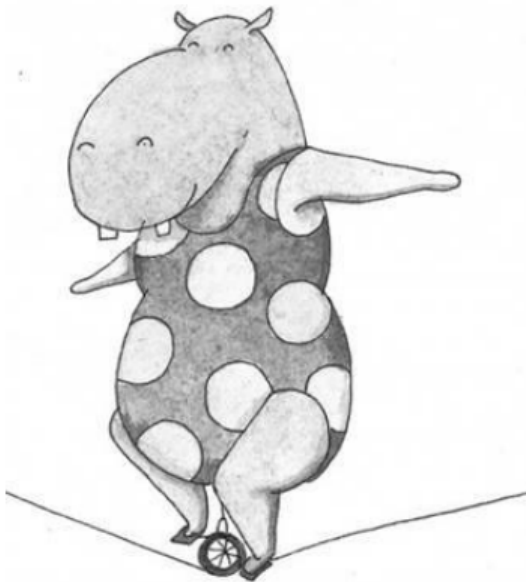


You all know about my friend Hippo. Hippo and its other hippopotamus friends are starting a circus. They have been practicing a lot, and they are getting better at the show. I have seen their show several times and I personally think they are really good. So I encouraged them to show in public. And after a lot of arguing and convincing they finally agreed.

So are they are getting ready for their big show-down. Everything is prepared. The performers are working day and night to perfect everything. The tent is almost ready. In a word everything is having the final touch.

In the night before the show the hippopotamuses started to budget the time and encountered a big problem. They were planning for a big entrance where every hippopotamus will enter through the gate and take a bow to the audience. But this is taking too much time. So to shorten this they devised a plan — “One hippo will ride another one”. The balances of the hippopotamuses are not so good yet. So a hippo can take only another hippo over it, not more than that. There is another problem, if a hippo carries another hippo, it slows the speed of the hippo. So to help them with the problem they wish your help.

Given a door with height  $H$ , and  $N$  hippopotamuses with height  $h_i$  (height of the  $i$ -th hippo,  $1 \leq i \leq N$ ), you need to find the minimum time so that every hippo can enter the door and bow. A hippo can only enter the door if its height is less than the height of the door. If a hippo is carrying another hippo, then the summation of their heights must be less than the door's height. A hippo while walking alone, takes  $T_a$  time to enter the door and bow. A hippo while carrying another hippo, takes  $T_d$  time to enter and bow.



## Input

First line of input will contain an integer,  $C$  ( $1 \leq C \leq 10$ ), the number of test cases. Then  $C$  cases will follow. First line of each case is four integers,  $N$ ,  $H$ ,  $T_a$ , and  $T_d$ . Next line contains  $N$  integers, the height of the hippopotamuses.

Here,  $1 \leq N \leq 100000$  and  $0 \leq T_a < T_d \leq 10000$ .

All the heights will be less than 100. Heights of all the hippopotamuses will be less than the  $H$ .

## Output

For each case output one line. ‘Case  $X$ :  $M$ ’ (without the quotes), where  $X$  is the case number starting from 1 and  $M$  is minimum time needed. Check sample input and output for details.

### Explanation:

In the first case, all the hippo walks alone that's why each take 2 seconds and in a total of 6 seconds.

But in the second case, if the first hippo carries the third hippo ( $3 + 2 < 6$ ) then it takes 3 seconds and the other hippo takes 2 seconds.

## Sample Input

```
2
3 5 2 3
3 4 2
3 6 2 3
3 4 2
```

## Sample Output

```
Case 1: 6
Case 2: 5
```