The school track-and-field team is taking a running relay race. There are $n$ ($2 \le n \le 10^4$) members in the team. In order to let everybody participate in the race, each member should run at least $d$ ($0 \le d \le 10$) meters. Besides that, everyone can run arbitrary distance. The whole length of the track is $L$ ($1 \le L \le 10^5$) meters.

For the $i$-th member in the team, if he is in a good mood, then it takes him $t_i$ seconds ($1 \le t_i \le 4 \times 10^4$) to run one meter. If he is in a bad mood, then it takes him $s_i$ ($1 \le s_i \le 4 \times 10^4$, $1 \le t_i \le s_i$) seconds to run one meter.

As the coach of the team, you can assign the running distance of each member in advance. Suppose that, it takes $S$ seconds for the team to complete the relay race if all the members are in bad moods and it takes $T$ seconds for the team to complete the relay race if all the members are in good moods. You do want to have a good score. But you don't want to have a very bad score even if someone is in a bad mood. So you want to know the minimum value of $T$ on condition that $S$ should not be larger than $W$ ($1 \le W \le 2147483647$).

## Input

The input begins with a line containing an integer, indicating the number of test cases. There are no more than 100 test cases.

For each case, the first line begins with four integers — the above mentioned $n$, $d$, $L$ and $W$. Then $n$ lines follow, each representing a member. Each line contains two integers $s$ and $t$, meaning that the member spends $s$ seconds to run one meter when he/she is in a bad mood, and spends $t$ seconds to run one meter when he/she is in a good mood.

## Output

For each test case, if you cannot find a proper way to assign the running distance of each member, output a string "`No solution`" in a line. Otherwise, output the minimum value of $T$ (rounded to 2 digits after the decimal point) in a line.

**Hint:**

In the first case, the first member runs 10.5 meters and the second member runs 9.5 meters.

$$S = 8 \times 10.5 + 6 \times 9.5 = 141 = W, \qquad T = 3 \times 10.5 + 6 \times 9.5 = 88.5$$

In the second case, every member should run at least 8 meters. But the length of the track is only 20 meters. Because $8 \times 3 > 20$, there is no solution.

## Sample Input

```
2
2 1 20 141
8 3
6 6
3 8 20 200
8 3
6 6
7 1
```

## Sample Output

```
88.50
No solution
```