

Computers normally cannot generate really random numbers, but frequently are used to generate sequences of pseudo-random numbers. These are generated by some algorithm, but appear for all practical purposes to be really random. Random numbers are used in many applications, including simulation.

A common pseudo-random number generation technique is called the linear congruential method. If the last pseudo-random number generated was L , then the next number is generated by evaluating $(Z \times L + I) \bmod M$, where Z is a constant multiplier, I is a constant increment, and M is a constant modulus. For example, suppose Z is 7, I is 5, and M is 12. If the first random number (usually called the *seed*) is 4, then we can determine the next few pseudo-random numbers are follows:

Last Random Number, L	$(Z \times L + I)$	Next Random Number, $(Z \times L + I) \bmod M$
4	33	9
9	68	8
8	61	1
1	12	0
0	5	5
5	40	4

As you can see, the sequence of pseudo-random numbers generated by this technique repeats after six numbers. It should be clear that the longest sequence that can be generated using this technique is limited by the modulus, M .

In this problem you will be given sets of values for Z , I , M , and the seed, L . Each of these will have no more than four digits. For each such set of values you are to determine the length of the cycle of pseudo-random numbers that will be generated. But be careful: the cycle might not begin with the seed!

Input

Each input line will contain four integer values, in order, for Z , I , M , and L . The last line will contain four zeroes, and marks the end of the input data. L will be less than M .

Output

For each input line, display the case number (they are sequentially numbered, starting with 1) and the length of the sequence of pseudo-random numbers before the sequence is repeated.

Sample Input

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7 5 12 4
5173 3849 3279 1511
9111 5309 6000 1234
1079 2136 9999 1237
0 0 0 0
```

Sample Output

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Case 1: 6
Case 2: 546
Case 3: 500
Case 4: 220
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